

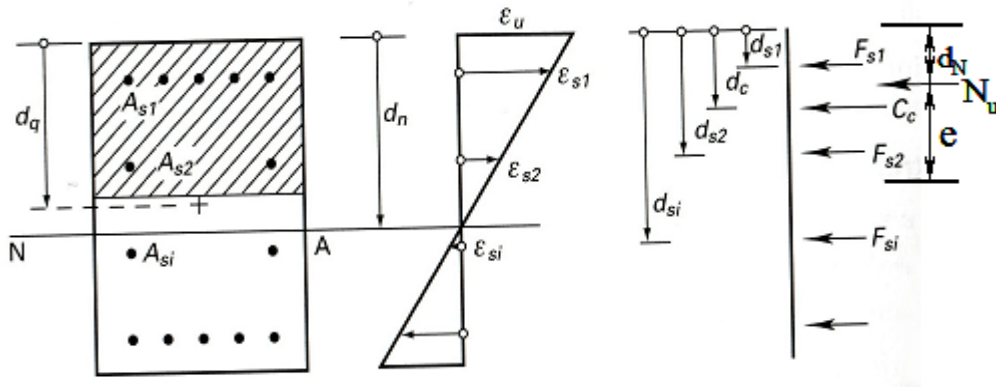
**COLUMN DESIGN [AS3600- Normal Strength Concrete]**

**PROJECT :** Corcon Test 1

**COLUMN :** Lower column

**DESIGN DATA**

$f_c = 47.4$	MPa	$A_{s1} := 800$	mm <sup>2</sup>	$d_{s1} := 34$	mm
$f_{sy} = 442$	MPa	$A_{s2} := 400$	mm <sup>2</sup>	$d_{s2} := 94.1$	mm
$D := 250$	mm	$A_{s3} := 400$	mm <sup>2</sup>	$d_{s3} := 154.2$	mm
$b := 250$	mm	$A_{s4} := 800$	mm <sup>2</sup>	$d_{s4} := 216$	mm
$E_s := 200000$	MPa				



**CALCULATIONS**

Compressive strain	$\epsilon_u := 0.003$	$\epsilon_{sy} := \frac{f_{sy}}{E_s}$	$\epsilon_{sy} = 0.0022$
Stress block parameter	$\gamma := 0.85 - 0.007(f_c - 28)$	$\gamma = 0.714$	$0.65 \leq \gamma \leq 0.85$
Choose trial neutral axis	$d_n := 89.375$		

Stain in each layer of steel :

$\epsilon_{s1} := \frac{\epsilon_u}{d_n} \cdot (d_n - d_{s1})$	$\epsilon_{s1} = 0.0019$	$\sigma_{s1} := if( \epsilon_{s1}  < \epsilon_{sy}, E_s \cdot \epsilon_{s1}, f_{sy})$
$\epsilon_{s2} := \frac{\epsilon_u}{d_n} \cdot (d_n - d_{s2})$	$\epsilon_{s2} = -0.0002$	$\sigma_{s2} := if( \epsilon_{s2}  < \epsilon_{sy}, E_s \cdot \epsilon_{s2}, f_{sy})$
$\epsilon_{s3} := \frac{\epsilon_u}{d_n} \cdot (d_n - d_{s3})$	$\epsilon_{s3} = -0.0022$	$\sigma_{s3} := if( \epsilon_{s3}  < \epsilon_{sy}, E_s \cdot \epsilon_{s3}, f_{sy})$
$\epsilon_{s4} := \frac{\epsilon_u}{d_n} \cdot (d_n - d_{s4})$	$\epsilon_{s4} = -0.0043$	$\sigma_{s4} := if( \epsilon_{s4}  < \epsilon_{sy}, E_s \cdot \epsilon_{s4}, f_{sy})$

Steel stress is corrected for sign :

$$\begin{aligned}\sigma_{s1} &:= \text{if}(\varepsilon_{s1} < 0 + |\varepsilon_{s1}| > \varepsilon_{sy}, -f_{sy}, \sigma_{s1}) & \sigma_{s1} &= 371.7 & \text{MPa} \\ \sigma_{s2} &:= \text{if}(\varepsilon_{s2} < 0 + |\varepsilon_{s2}| > \varepsilon_{sy}, -f_{sy}, \sigma_{s2}) & \sigma_{s2} &= -31.7 & \text{MPa} \\ \sigma_{s3} &:= \text{if}(\varepsilon_{s3} < 0 + |\varepsilon_{s3}| > \varepsilon_{sy}, -f_{sy}, \sigma_{s3}) & \sigma_{s3} &= -435.2 & \text{MPa} \\ \sigma_{s4} &:= \text{if}(\varepsilon_{s4} < 0 + |\varepsilon_{s4}| > \varepsilon_{sy}, -f_{sy}, \sigma_{s4}) & \sigma_{s4} &= -442 & \text{MPa}\end{aligned}$$

Concrete Compressive Force  $C_c := 0.85 \cdot f_c \cdot \gamma \cdot b \cdot d_n \cdot 10^{-3}$   $C_c = 642.9$   $kN$

Forces in each layers of steel :

$$\begin{aligned}F_{s1} &:= \sigma_{s1} \cdot A_{s1} \cdot 10^{-3} & F_{s1} &= 297.4 & kN \\ F_{s2} &:= \sigma_{s2} \cdot A_{s2} \cdot 10^{-3} & F_{s2} &= -12.7 & kN \\ F_{s3} &:= \sigma_{s3} \cdot A_{s3} \cdot 10^{-3} & F_{s3} &= -174.1 & kN \\ F_{s4} &:= \sigma_{s4} \cdot A_{s4} \cdot 10^{-3} & F_{s4} &= -353.6 & kN\end{aligned}$$

Concrete and steel forces are summed to give  $N_u$   $N_u := C_c + F_{s1} + F_{s2} + F_{s3} + F_{s4}$   $N_u = 400$   $kN$

The eccentricity of  $N_u$ ,  $d_N$  is given by taking moment about top compressive fibre :

$$d_N := \frac{[C_c \cdot (0.5 \cdot \gamma \cdot d_n) + F_{s1} \cdot d_{s1} + F_{s2} \cdot d_{s2} + F_{s3} \cdot d_{s3} + F_{s4} \cdot d_{s4}]}{N_u} \quad d_N = -184.5 \quad mm$$

$N_{uo} := [0.85 \cdot f_c \cdot b \cdot D + f_{sy} \cdot (A_{s1} + A_{s2} + A_{s3} + A_{s4})] \cdot 10^{-3}$   $N_{uo} = 3578.9$   $kN$

**Plastic Centroid  $d_q$**

$$d_q := \frac{1}{N_{uo}} \cdot [(0.85 \cdot f_c \cdot b \cdot D) \cdot 0.5 \cdot D + f_{sy} \cdot (A_{s1} \cdot d_{s1} + A_{s2} \cdot d_{s2} + A_{s3} \cdot d_{s3} + A_{s4} \cdot d_{s4})] \cdot 10^{-3} \quad d_q = 124.916 \quad mm$$

Summing moments of forces about the plastic centroid :

$$M_u := \left[ C_c \cdot (d_q - 0.5 \cdot \gamma \cdot d_n) + F_{s1} \cdot (d_q - d_{s1}) + F_{s2} \cdot (d_q - d_{s2}) + F_{s3} \cdot (d_q - d_{s3}) \dots \right] \cdot 10^{-3} \quad M_u = 123.7 \quad kNm$$

**COLUMN** : Upper column

**DESIGN DATA**

$$\begin{aligned}
 f_c &= 47.4 & \text{MPa} & & A_{s1} &:= 800 & \text{mm}^2 & & d_{s1} &:= 34 & \text{mm} \\
 f_{sy} &= 442 & \text{MPa} & & A_{s2} &:= 400 & \text{mm}^2 & & d_{s2} &:= 94.1 & \text{mm} \\
 D &:= 250 & \text{mm} & & A_{s3} &:= 400 & \text{mm}^2 & & d_{s3} &:= 154.2 & \text{mm} \\
 b &:= 250 & \text{mm} & & A_{s4} &:= 800 & \text{mm}^2 & & d_{s4} &:= 216 & \text{mm} \\
 E_s &:= 200000 & \text{MPa} & & & & & & & & 
 \end{aligned}$$

**CALCULATIONS**

Compressive strain  $\epsilon_u := 0.003$   $\epsilon_{sy} := \frac{f_{sy}}{E_s}$   $\epsilon_{sy} = 0.0022$

Stress block parameter  $\gamma := 0.85 - 0.007(f_c - 28)$   $\gamma = 0.714$   $0.65 \leq \gamma \leq 0.85$

Choose trial neutral axis  $d_n := 85.21$

Stain in each layer of steel :

$$\epsilon_{s1} := \frac{\epsilon_u}{d_n} \cdot (d_n - d_{s1}) \quad \epsilon_{s1} = 0.0018 \quad \sigma_{s1} := \text{if}(|\epsilon_{s1}| < \epsilon_{sy}, E_s \cdot \epsilon_{s1}, f_{sy})$$

$$\epsilon_{s2} := \frac{\epsilon_u}{d_n} \cdot (d_n - d_{s2}) \quad \epsilon_{s2} = -0.0003 \quad \sigma_{s2} := \text{if}(|\epsilon_{s2}| < \epsilon_{sy}, E_s \cdot \epsilon_{s2}, f_{sy})$$

$$\epsilon_{s3} := \frac{\epsilon_u}{d_n} \cdot (d_n - d_{s3}) \quad \epsilon_{s3} = -0.0024 \quad \sigma_{s3} := \text{if}(|\epsilon_{s3}| < \epsilon_{sy}, E_s \cdot \epsilon_{s3}, f_{sy})$$

$$\epsilon_{s4} := \frac{\epsilon_u}{d_n} \cdot (d_n - d_{s4}) \quad \epsilon_{s4} = -0.0046 \quad \sigma_{s4} := \text{if}(|\epsilon_{s4}| < \epsilon_{sy}, E_s \cdot \epsilon_{s4}, f_{sy})$$

Steel stress is corrected for sign :

$$\sigma_{s1} := \text{if}(\epsilon_{s1} < 0 + |\epsilon_{s1}| > \epsilon_{sy}, -f_{sy}, \sigma_{s1}) \quad \sigma_{s1} = 360.6 \quad \text{MPa}$$

$$\sigma_{s4} := \text{if}(\epsilon_{s2} < 0 + |\epsilon_{s2}| > \epsilon_{sy}, -f_{sy}, \sigma_{s2}) \quad \sigma_{s2} = -62.6 \quad \text{MPa}$$

$$\sigma_{s3} := \text{if}(\epsilon_{s3} < 0 + |\epsilon_{s3}| > \epsilon_{sy}, -f_{sy}, \sigma_{s3}) \quad \sigma_{s3} = -442 \quad \text{MPa}$$

$$\sigma_{s4} := \text{if}(\epsilon_{s4} < 0 + |\epsilon_{s4}| > \epsilon_{sy}, -f_{sy}, \sigma_{s4}) \quad \sigma_{s4} = -442 \quad \text{MPa}$$

Concrete Compressive Force  $C_c := 0.85 \cdot f_c \cdot \gamma \cdot b \cdot d_n \cdot 10^{-3}$   $C_c = 613 \quad \text{kN}$

Forces in each layers of steel :  $F_{s1} := \sigma_{s1} \cdot A_{s1} \cdot 10^{-3}$   $F_{s1} = 288.5 \quad \text{kN}$

$$F_{s2} := \sigma_{s2} \cdot A_{s2} \cdot 10^{-3} \quad F_{s2} = -25 \quad \text{kN}$$

$$F_{s3} := \sigma_{s3} \cdot A_{s3} \cdot 10^{-3} \quad F_{s3} = -176.8 \quad \text{kN}$$

$$F_{s4} := \sigma_{s4} \cdot A_{s4} \cdot 10^{-3} \quad F_{s4} = -353.6 \quad \text{kN}$$

Concrete and steel forces  
are summed to give  $N_u$

$$N_u := C_c + F_{s1} + F_{s2} + F_{s3} + F_{s4}$$

$$N_u = 346 \quad kN$$

The eccentricity of  $N_u$ ,  $d_N$  is given by taking moment about top compressive fibre :

$$d_N := \frac{[C_c \cdot (0.5 \cdot \gamma \cdot d_n) + F_{s1} \cdot d_{s1} + F_{s2} \cdot d_{s2} + F_{s3} \cdot d_{s3} + F_{s4} \cdot d_{s4}]}{N_u} \quad d_N = -224.1 \quad mm$$

$$N_{uo} := [0.85 \cdot f_c \cdot b \cdot D + f_{sy} \cdot (A_{s1} + A_{s2} + A_{s3} + A_{s4})] \cdot 10^{-3}$$

$$N_{uo} = 3578.9 \quad kN$$

**Plastic Centroid  $d_q$**

$$d_q := \frac{1}{N_{uo}} \cdot [(0.85 \cdot f_c \cdot b \cdot D) \cdot 0.5 \cdot D + f_{sy} \cdot (A_{s1} \cdot d_{s1} + A_{s2} \cdot d_{s2} + A_{s3} \cdot d_{s3} + A_{s4} \cdot d_{s4})] \cdot 10^{-3} \quad d_q = 124.916 \quad mm$$

Summing moments of forces about the plastic centroid :

$$M_u := \left[ C_c \cdot (d_q - 0.5 \cdot \gamma \cdot d_n) + F_{s1} \cdot (d_q - d_{s1}) + F_{s2} \cdot (d_q - d_{s2}) + F_{s3} \cdot (d_q - d_{s3}) \dots \right] \cdot 10^{-3} \quad M_u = 120.8 \quad kNm$$

**BEAM DESIGN [AS3600- Normal Strength Concrete]****PROJECT** : Corcon Test 1**BEAM** : 250x250 Column**DESIGN DATA**

$f_c = 47.4$	MPa				
$f_{sy} = 442$	MPa	$E_s := 200000$	MPa	$f_{syf} = 345$	MPa
$D := 250$	mm	$d_o := 216$	mm	$s := 175$	mm
$b := 250$	mm	$b_t := 250$	mm	$A_g := 62500$	mm <sup>2</sup>
$A_{st} := 800$	mm <sup>2</sup>	$d_{sc} := 34$	mm	$A_{sv} := 56$	mm <sup>2</sup>
$A_{sc} := 800$	mm <sup>2</sup>	$N := 346$	kN		

**Design for Shear**(a) Calculation of  $V_{uc}$ 

$$\beta_1 := 1.1 \cdot \left( 1.6 - \frac{d_o}{1000} \right) \qquad \beta_1 = 1.522$$

$$\beta_2 := 1 + \frac{N \cdot 10^3}{14 A_g} \quad \text{For members with Compressive axial force}$$

$$\beta_2 = 1.395$$

$$\beta_3 := 1 \quad (\text{As there is no Concentrated load near the support})$$

$$b_v := 0.5 \cdot (b + b_t)$$

$$V_{uc} := \beta_1 \cdot \beta_2 \cdot \beta_3 \cdot b_v \cdot d_o \left( \frac{A_{st} \cdot f_c}{b_v \cdot d_o} \right)^{\frac{1}{3}} \cdot 10^{-3} \qquad V_{uc} = 102 \quad \text{kN}$$

(b) Calculation of  $\theta_v$ 

$$A_{sv} = 56 \quad \text{mm}^2$$

$$A_{svmin} := 0.35 \cdot b_v \cdot \frac{s}{f_{syf}} \quad A_{svmin} = 44.384 \quad \text{mm}^2$$

$$A_{svmax} := b_v \cdot \frac{s}{f_{syf}} \left( 0.2 \cdot f_c - \frac{V_{uc} \cdot 10^3}{b_v \cdot d_o} \right) \quad A_{svmax} = 962.7 \quad \text{mm}^2$$

$$\theta_v := 30 + 15 \cdot \left( \frac{A_{sv} - A_{svmin}}{A_{svmax} - A_{svmin}} \right) \quad \theta_v = 30.2 \quad \text{deg}$$

$$\theta_{vr} := \theta_v \cdot \frac{\pi}{180}$$

(c) Calculation of  $\phi V_u$  when stirrups are at yield

$$V_{us} := \frac{A_{sv}}{s} \cdot f_{syf} \cdot d_o \cdot \cot(\theta_{vr}) \cdot 10^{-3} \quad V_{us} = 40.989$$

$$V_u := V_{uc} + V_{us} \quad V_u = 143 \quad \text{kN}$$

$$\phi := 0.7 \quad \text{Therefore Shear Strength} \quad \phi \cdot V_u = 100.1 \quad \text{kN}$$